in inventing situations to explain its absence. A revolutionary change in the fundamental concepts of physics, or a suitable modification of relativity theory, will solve the riddle in the future.

References

¹ v. Krzywoblocki, M. Z., "Time—dilatation dilemma and scale variation," AIAA J., 2, 2213–2214 (1964).

Reply by Author to V. S Ananthachar

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READER approaching the field of special relativity must A keep in mind particularly two items: 1) no scientist ever stated or attempted to state that all of the processes in nature must obey the postulates of the Einstein special theory of relativity; 2) there exists more than one special theory of relativity. For more details concerning 1, the reader is referred to works by Rothman, 1 Schlegel, 2 and others. Concerning 2, a very profound theory of relativity of Whitehead³ is seldom mentioned, and was applied to only a few cases. It may be of interest to acquaint oneself with the opinion of Whitehead on the subject of the theories of relativity. Whitehead wrote, "... Einstein, in my opinion, leaves the whole antecedent theory of measurement in confusion, when it is confronted with the actual conditions of our perceptual knowledge." In another place he says, "The possibility of other such laws, expressed in sets of differential equations other than Einstein's, arises from the fact that in my theory there is a relevant fact of nature which is absent on Einstein's theory." And, "The course of my argument has led me generally to couple my allusions to Einstein with some criticism.... But the worst homage we can pay to a genius is to accept uncritically formulations of truths which we owe to it (i.e., a method due to Einstein)." Recently, Schlegel² proposed his formulation of the theory of relativity, of Clausius and Lorentz (relativistic) processes. It is the expression of a deep intuition of a theoretical physicist who feels that the nature and the universe are not ruled autocratically by the geometrically oriented laws discovered by science in the past and that there are other laws which we do not know, as yet. It is known that some leading scientists in the field are a little disappointed with the purely geometrically oriented approach to model, and to describe, the laws of nature. † In this, Schlegel differs from both Whitehead and Einstein, and I do not hesitate to call his approach "Schlegel's formulation of the theory of relativity." Schlegel's formulation was nicely accepted. In the title of my note, published in 1964, I do not use the words "relativity, Einstein, etc." In the first two sections of it, I have presented a few general remarks. In the third section, entitled "Scale Variation in the Time-Dilatation Dilemma," the first sentence is "We accept the validity of the Schlegel hypothesis." In this section, there does not appear the name of Einstein even once. The contents of the section consist of the discussion of a particular example that illustrates Schlegel's idea (but not mine). I have shown in this example that by using Schlegel's formulation, it is possible to synchronize two clocks, one on the earth, another on an earth bound satellite, without the appearance of the so-called clock-paradox (should be rather the clock-ambiguity, as Schlegel has demonstrated). In this sec-

tion there are no remarks about cosmological aspects whatsoever; there are presented no new ideas, no new fundamentals. Referring to Ananthachar's remarks, I must state that I fail to see what he wants to say with reference to my note. He states that, "Assumption 1 is ruled out in relativity theory,..." It is not said in which relativity theory. Certainly not in the Schlegel theory, where this is one of the main assumptions. Hence this remark cannot be referred to my note. Ananthachar's Comment "A" refers to pre-Einstein theory. Comment "B" is very thoroughly explained in Schlegel's book, to which the reader is referred. Comment "C" refers to the kind of atomic clock; this point is not even mentioned by me. Comment "D" is discussed very thoroughly in Schlegel's book. Comment "E" refers to the situation when S_1 , after some time, passes through S_2 . Practically, this means that the spaceship will return to the earth and obviously the matter is closed. In Comment "F" Ananthacar states that my case assumes prepared journeys, as in the case of space travel. But I exactly discuss only the case of space travel. I do not discuss any case of journeys "... not necessarily planned by us..." (quoting Ananthachar). In the last paragraph, Ananthachar expresses his point of view; it is better that the paradox is left as it is. I absolutely never had and now have no objections to leaving the paradox in the Einstein theory of relativity as it is.

References

 1 Rothman, M. A., "Things that go faster than light," Sci. Am. 203, 142–150 (July 1960).

² Schlegel, R., *Time and the Physical World* (Michigan State University Press, East Lansing, Mich., 1961).

³ Whitehead, A. N., The Principle of Relativity (Cambridge University Press, Cambridge, Mass., 1922).

Comments on "Approximate Analytical Solution for Satellite Orbits Subjected to Small Thrust or Drag"

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IN a current paper by Brofman¹ the author has investigated the problems of satellites subjected to small thrust and drag. Both of these problems were previously studied by the writer ²⁻⁴

For the small tangential thrust problem, the expression of θ presented in Ref. 2 can be greatly improved by combining Eqs. (3, 6, 23, and 39) in Ref. 2 and integrating the resulting expression as†

$$\theta = a\tau - a^2A \left\{ 3[X(\ln X - 1) + 1] + 3a[X(\ln X - 1)^2 + (X - 2)] + a^2[X(\ln X - 1)^3 + 3X(\ln X - 1) - (2X - 6)] \right\}$$
 (1)

where the initial condition $\tau=0$ and $\theta=0$ has been employed, and

$$a \equiv \omega \bar{c}/g_0$$
 and $X \equiv 1 - (\tau/A)$

Equation (1) has been shown elsewhere⁵ and its accuracy against numerical integration was depicted in Ref. 5. With θ shown in Eq. (1) instead of Eq. (37) in Ref. 2, it is thought

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[†] The recent theory of R. Dicke from Princeton demonstrates very clearly that the geometry in the theory of relativity is completely unnecessary. A scalar and a tensor fields are completely sufficient.

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[†] See Nomenclature list in Ref. 2.